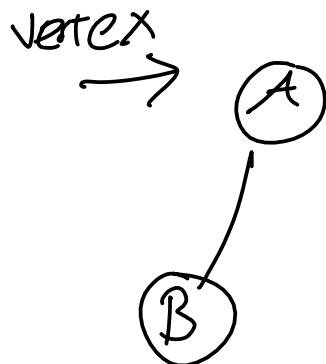


Graph: pair of two sets  $V$  and  $E$

↑  
vertices      ↑  
edges  
↓



A and B are adjacent

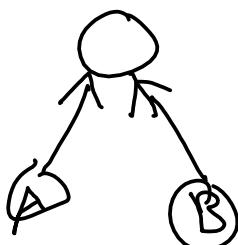
$\langle A, B \rangle \cong \langle B, A \rangle$

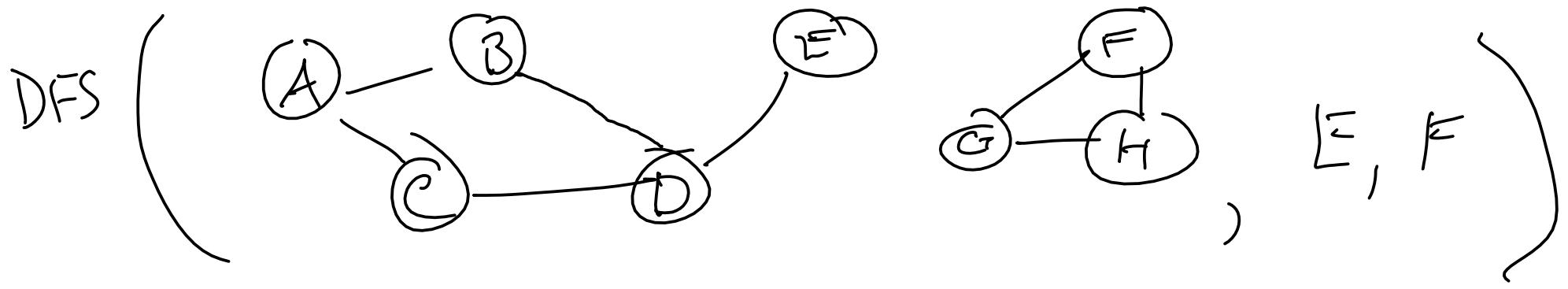
pair of vertices

defn. → directed / undirected

$\langle V, E, w \rangle$  → weighted / unweighted

emergent → connected: all vertices have some seq. edges that relate them





Function  $\text{DFS}(\text{graph}, \text{start}, \text{end})$

$s \leftarrow \text{new stack}$

$s.\text{push}(\text{start})$

$\text{visited} \leftarrow \text{new HashTable}$

$\text{visited}.\text{put}(\text{start}, \dots)$

While  $s.\text{stack} \neq \text{empty}$ :

$ns \leftarrow \text{Find-neighbors}(s.\text{pop}(), \text{graph})$   $\{A, B, C, D, E\}$

for each  $n$  in  $ns$ :

if  $n$  not a key in  $\text{visited}$ :

$s.\text{push}(n)$

Return false

if  $n = \text{end}$ :

$\text{visited}.\text{put}(n, ?)$

return True

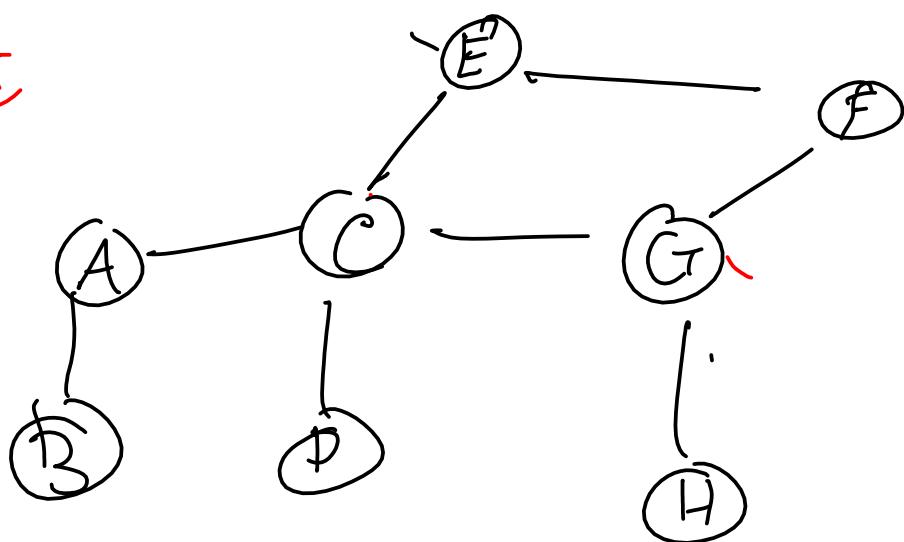
Function  $\text{BFS}(\text{graph}, \text{start}, \text{end})$ :

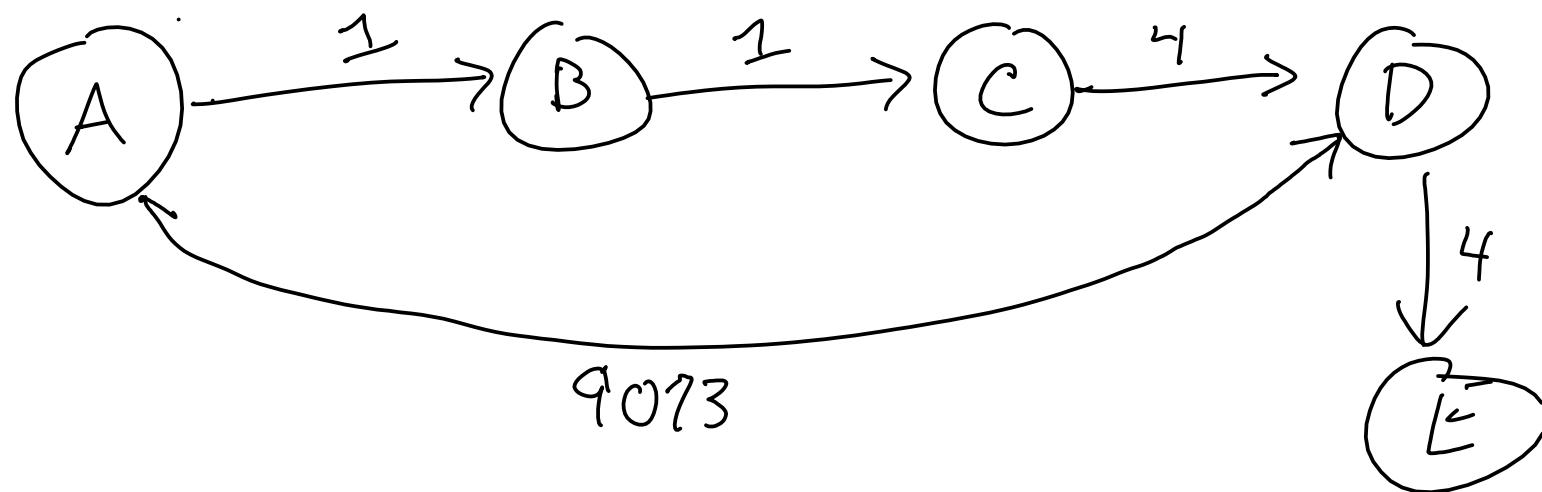
Like DFS but with queue

BFS: unweighted graph: guaranteed to give path  
w/ fewest edges

$A \rightsquigarrow G$

C/B  
E/D/G  
F/H





Right here is where lecture got really confusing.

Instead of giving you the clunky, bad version of Dijkstra's Algorithm from class, we'll just go over it on Tuesday in a (hopefully clearer) fashion