

Function $sssp(g, src)$:

$exploration \leftarrow \text{new MinHeap}()$
 $exploration.insert(0, src)$
 $costs \leftarrow \text{new Dictionary}()$
 $costs.insert(src, 0)$

exploration
accounting

While exploration is not empty:

$current \leftarrow exploration.remove()$
 $currentCost \leftarrow costs.get(current)$

dequeue

For each edge in $g.getOutgoingEdges(current)$

$neighbor \leftarrow edge.destination$
 $newCost \leftarrow currentCost + edge.weight$

If neighbor not a key in costs:
 $costs.insert(neighbor, newCost)$

$exploration.insert(newCost, neighbor)$

Else If $costs.get(neighbor) > newCost$:

$costs.update(neighbor, newCost)$

$exploration.insert(newCost, neighbor)$

End If

End For

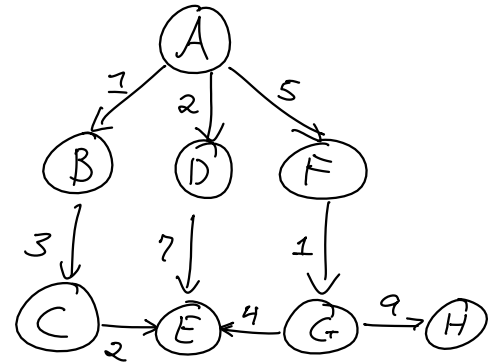
End While

Return costs

End Function

consider each neighbor

Dijkstra

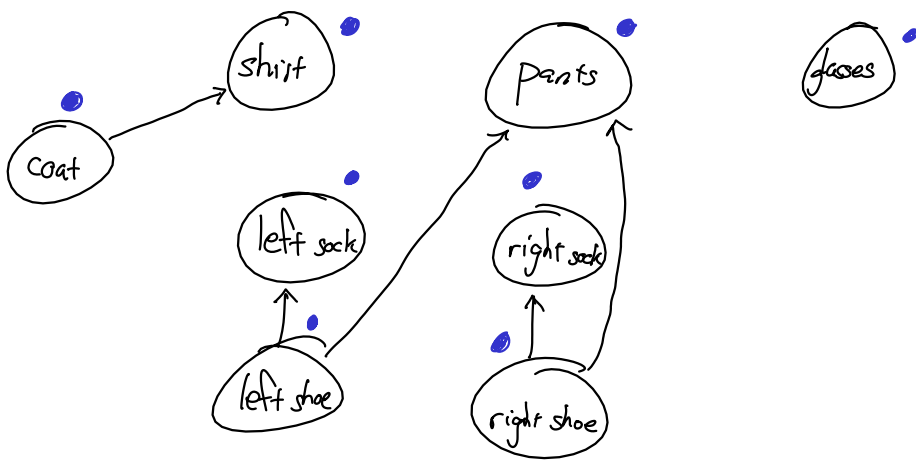


$exploration = [\overset{0}{A}, \overset{1}{B}, \overset{2}{D}, \overset{3}{C}, \overset{4}{E}, \overset{5}{F}, \overset{6}{G}, \overset{9}{H}, \overset{15}{H}]$

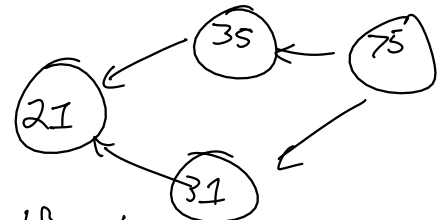
$costs = \begin{cases} A \mapsto 0 & F \mapsto 5 & G \mapsto 6 \\ B \mapsto 1 & C \mapsto 4 & H \mapsto 15 \\ D \mapsto 2 & E \mapsto 6 & \end{cases}$

$current =$
 $currentCost =$
 $newCost =$

$edge =$
 $neighbor =$



- not visited
- in progress
- completed



right sock, pants, right shoe, shirt, coat, glasses, left sock, left shoe
 shirt, pants, left sock, right sock, left shoe, right shoe; coat, glasses

Topological Sort

Function $toposort(g)$:
 answer \leftarrow new List
 While any vertex is not visited
 visit $(g, \text{some unvisited vertex})$

Function $visit(g, \text{vertex})$:
 If vertex already visited :
 Return
 If vertex in progress :
 ||
 Mark vertex in progress
 For each neighbor :
 visit $(g, \text{neighbor})$
 Mark vertex complete
 add vertex to answer