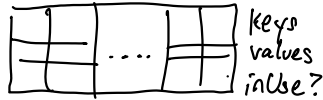


Hash Tables

- an implementation of Dictionary (unique keys)
- int hash(K key)
- hash, modulus \rightarrow pick a location in an array
- collision: multiple mappings want in same slot
 - linear probing: use next empty slot
 - forward chaining



Dictionaryes

AVL trees

Hash tables

Linear Dictionary

get
insert
update
remove

$O(\log n)$

average $O(1)^*$

$O(n)$
using a list

Method get(K key):

For i in 0 up to contents.size()-1:

If contents[i].key == key:

Return contents[i].value

End If

End For

||

End Method

Method insert(K key, V value):

For i in 0 up to contents.size()-1:

If contents[i].key == key:

||

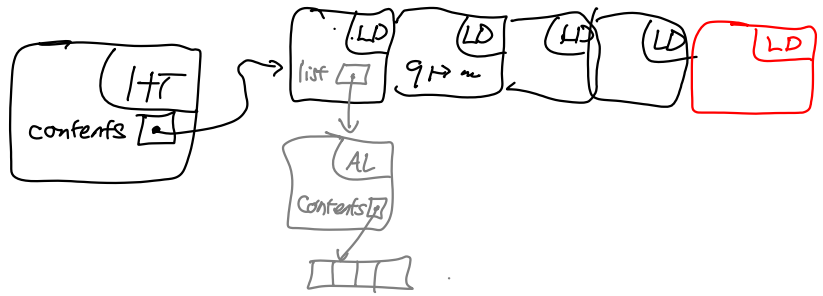
End If

End For

contents.insertLast(pair(key, value))

End Method

Forward chaining hash table:
 • array of LinearDictionary

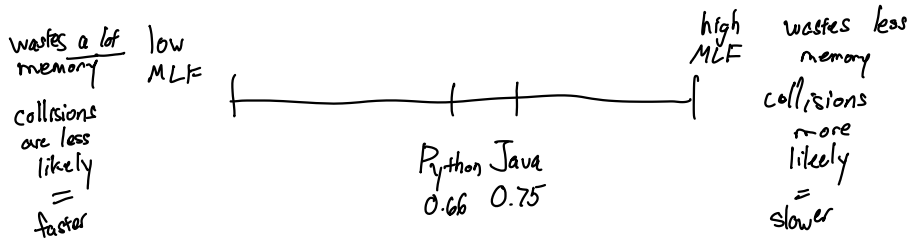


n LDs \rightarrow $\frac{n}{n}$ mappings per LD

- array of LDs ("buckets")
- Key/value pairs insert into LDs based on key hash
- when I have "too many" k/v pairs for the LDs I have, expand capacity of HT
 - make new LD array of twice the size
 - rehash and add all k/v pairs to the new array.

$$\frac{\# \text{ of mappings}}{\# \text{ of buckets}} = \text{load factor}$$

max load factor (MLF)



1 → "one"

insert (1, "one")
 insert (5, "five")
 insert (0, "zero")
 insert (7, "seven")

MLF = 0.6

1 → "one", 5 → "five"

if your hash function is any good

0 → "zero"
1 → "one"
5 → "five"

0 → "zero"
1 → "one"
5 → "five"
7 → "seven"

average $O(1)$

- amortization
- averaging over all possible sets of user input