

### 3.1 analysis and big-O, lecture 2

Tuesday, September 13, 2022

Reminder: test 1 in lab next week

TODAY: nullptr

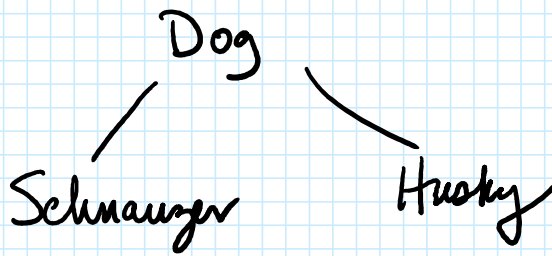
polymorphism and destructors

evaluating algorithms } empirical analysis  
                                  { theoretical analysis

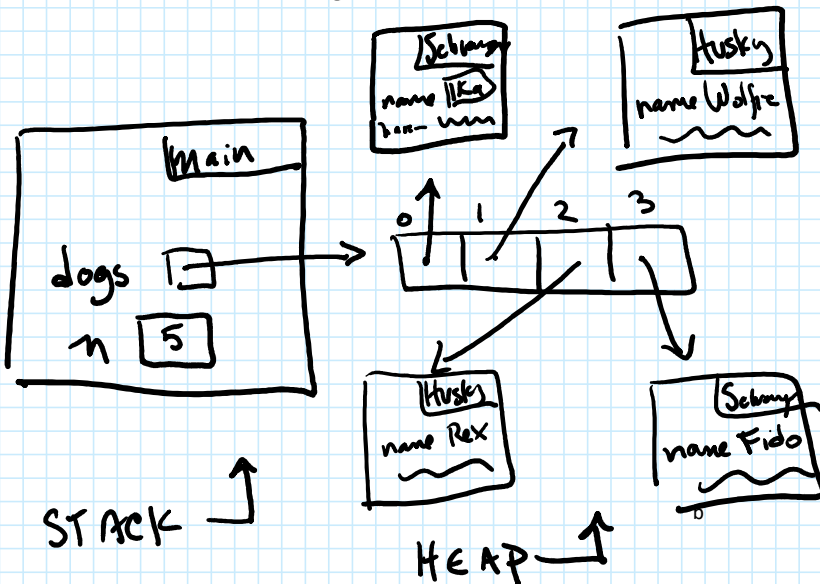
big-O definition, theoretical analysis

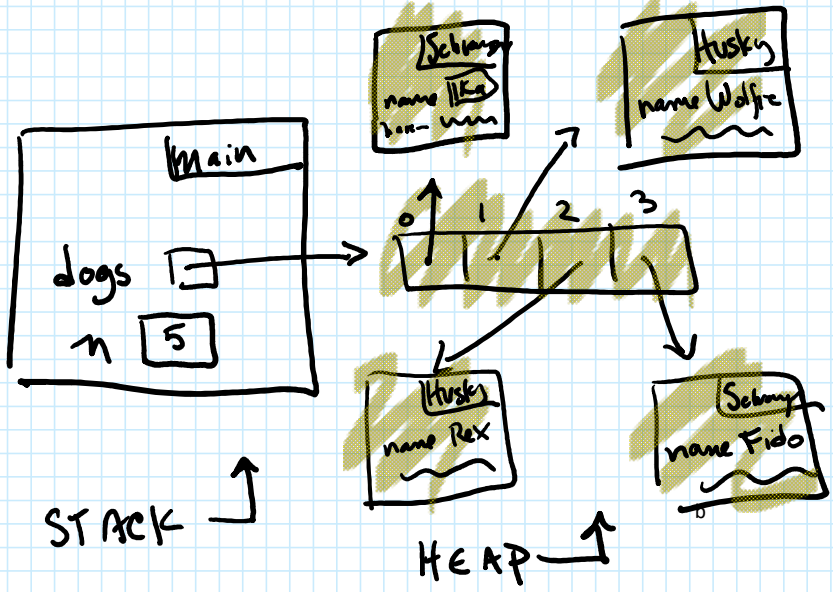
Recap: polymorphism, inheritance, destructors

With an inheritance relationship like



a pointer to the super class type Dog can point to any memory storing an object whose type is a subclass





problem: bool is\_sorted(int\* array, int size)

returns  $\left\{ \begin{array}{l} \text{true, if values are in ascending order} \\ \text{false, if values are NOT in ascending order} \end{array} \right.$

ex

int a[5] = {2, 4, 6, 8, 10};

int b[3] = {13, 1, 7};

is\_sorted(a, 5) true!

is\_sorted(b, 3) false!

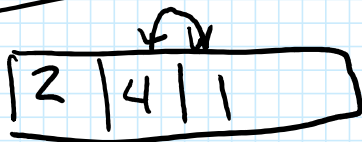
How can we choose which version of an algorithm is "best"?

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- shortest time to run
- memory usage
- readability
- correctness ALWAYS!

version 1: correct ✓

version 2: correct ✓



version 3: correct ✓

V 000...

## EMPIRICAL ANALYSIS

Want to compare versions to find which is most efficient.

- let's run some experiments and time them
- vary the size of the array

	array size				
version	10	100	1000	10,000	50k
1	0.005	0.005	0.009	0.13	2.9
2	0.004	0.004	0.004	0.004	0.005??!
3	0.008	0.016	0.093	0.859	4.2

version 2 is the fastest

1 & 3 are getting slower more,

3 is slowing a LOT as input size increases

### notes on empirical analysis

- clock time is not the cleanest measure

- hard to control conditions for equal runs
- can only run on a limited set of values
- must implement each algorithm to test it

## THEORETICAL ANALYSIS

- abstract away from a particular language
- analyze how much work the algorithm requires

work = # of steps

- count the # of steps in an algorithm
- focus on key steps  
is - sorted: key step is comparison between elements
- let  $n$  represent the size of the problem

### Version 1

$i$  loop goes from  $i=1$  to  $i=size-1$   
 $j$  loop goes from  $j=i+1$  to  $j=size-1$   
comparison

How many comparisons are done in total?

Version 2:

i loop goes from  $i=0$  to  $\text{size}-1$   
comparison

How many comparisons are done in total?

Version 3

i loop goes from  $i=0$  to  $\text{size}-1$   
10K comparisons

How many comparisons are done in total?